A matrix with only one column	is called a	and denoted $\mathbf{u} = \begin{bmatrix} u_1 \\ u_2 \\ \vdots \\ u_n \end{bmatrix}$
<u>Ex</u> :		
The entries can be written as		_ called an n -tuple.
<u>Ex</u> :		
	_ is the set of all <i>n</i> -tuples where ea	ach entry is in
<u>Ex</u> : $n = 2$: (u_1, u_2) is an	and defines a point	in
<u>Ex</u> : $n = 3$: (u_1, u_2, u_3) is an	and defines a point in	

Graphical Representations of vectors in \mathbb{R}^2 and \mathbb{R}^3 .

 $\mathbf{u} = \begin{bmatrix} a \\ b \end{bmatrix}$ can be represented by a line segment w/ an arrow from the origin to the point (a, b). But

<u>Addition</u> of two vectors: Add corresponding entries $\mathbf{u} + \mathbf{v} = \begin{bmatrix} u_1 \\ u_2 \\ \vdots \\ u_1 \end{bmatrix} + \begin{bmatrix} v_1 \\ v_2 \\ \vdots \\ v_1 \end{bmatrix} =$

Examples and Graphical Representations

Scalar Multiplication ($c \in \mathbb{R}$ is a scalar): Multiply each element by $c. \ c\mathbf{u} = c \begin{bmatrix} u_1 \\ u_2 \\ \vdots \end{bmatrix} =$

Examples and Graphical Representations

Properties for vectors \mathbf{u}, \mathbf{v} , and \mathbf{w} in \mathbb{R}^n and scalars $c, d \in \mathbb{R}$.

5. $c(\mathbf{u} + \mathbf{v}) = c\mathbf{u} + c\mathbf{v}$ 1. $\mathbf{u} + \mathbf{v} = \mathbf{v} + \mathbf{u}$ 2. $(\mathbf{u} + \mathbf{v}) + \mathbf{w} = \mathbf{u} + (\mathbf{v} + \mathbf{w})$ 6. $(c+d)\mathbf{u} = c\mathbf{u} + d\mathbf{u}$ 3. u + 0 = 0 + u = u7. $c(d\mathbf{u}) = (cd)\mathbf{u}$ 4. $\mathbf{u} + (-\mathbf{u}) = -\mathbf{u} + \mathbf{u} = \mathbf{0}$

8. 1u = u