Name: _

Math 345 Elementary Statistics - Crawford

Use may use a calculator and the given information sheet(s). Books and other notes (in any form) are not allowed. Round final answers to 3 decimal places. *Show your set-up and work*. Good Luck!

normalcdf
$$(L, R, \mu, \sigma)$$
 invNorm (A_L, μ, σ) tcdf (L, R, df) invT (A_L, df)

Chapter 7: $\hat{p} - E
<math display="block">\overline{x} - E < \mu < \overline{x} + E \text{ where } E = t_{\alpha/2} \frac{s}{\sqrt{n}} \qquad \qquad \sqrt{\frac{(n-1)s^2}{\chi_R^2}} < \sigma < \sqrt{\frac{(n-1)s^2}{\chi_L^2}}$ Chapter 8: Test Statistics

proportion: $z = \frac{\hat{p} - p}{\sqrt{\frac{pq}{n}}}$ $\hat{p} = \frac{x}{n}$ mean: $t = \frac{\overline{x} - \mu}{s/\sqrt{n}}$ standard deviation or variance: $\chi^2 = \frac{(n-1)s^2}{\sigma^2}$

1. (7 pts) The mean weight of glass discarded in one week by 8 randomly selected households is 3.84 lbs with a standard deviation of 2.46 lbs. Construct a 95% confidence interval for the standard deviation by

(a). Determining the critical values χ^2_L and χ^2_R .

[Clearly indicate which one is χ_L^2 and χ_R^2 .]

(b). Then constructing the confidence interval using the appropriate formulas.

2. (8 pts) A survey showed that among 785 randomly selected subjects who completed four years of college, 18.3% smoke (based on data from the American Medical Association). Use a 0.01 significance level to test the claim that the proportion of those who smoke among people with four years of college is less than the 27% for the general population. [Use the critical value method.]

- 1. Original claim in symbolic form:
- 2. Competing idea (complement) in symbolic form:
- **3**. H_0 :

 H_1 :

- 4. $\alpha =$
- **5**. Formula for the test statistic:
- 6. Observed value of the test statistic with calculations:

Graph showing the critical value(s), critical region, and the observed value of the test statistic:

 $Critical \ value(s):$

7. Circle one: Reject H_0 Fail to reject H_0

8. Wording of the final conclusion in simple, nontechnical terms, addressing the *original* claim.