

0. Read the problem and underline key terms.

Ex: Find the dimensions of the largest rectangular area you can enclose if you have 80 ft of fencing.

1. Draw and label a diagram. Introduce notation and clearly state what each variable represents.

2. Write down equations/functions for any quantities mentioned. If a fixed value is given/known, write it down.

3. Clearly state the following sentence, filling in the appropriate equations:

Maximize(or Minimize)  $\frac{\text{FUNCTION for QUANTITY}}{\text{to be optimized}}$

subject to  $\underline{\text{CONSTRAINT(S)}}$ .

4. Use the  $\text{CONSTRAINT(S)}$  to write the  $\text{QUANTITY FUNCTION}$  as a function of *one* variable only.  
*It is often helpful to simplify the function before differentiating.*

5. Determine the domain for this function.

6. Use Calculus techniques to find the absolute maximum (or minimum) values.

**Ex:** Suppose the pen is going to be built next to a barn so that one side does not need fencing. Find the dimensions of the largest rectangular area you can enclose if you have 80 ft of fencing.

**Ex:** Suppose a pen enclosing  $3600 \text{ ft}^2$  is to be constructed with fencing on all four sides. The fencing for 3 sides of the pen costs \$20 per linear foot. The fourth side of the pen requires a gates and the cost is \$30 per linear foot on that side. Find the dimensions that will minimize the cost.